

OPTIMIZATION AND SIMULATION OF REMANUFACTURING PRODUCTION SCHEDULING UNDER UNCERTAINTIES

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Abstract

This paper aims to develop a desirable optimization method for the remanufacturing production scheduling under uncertainties. For this purpose, a quality evaluation standard was proposed in light of the two uncertainties, i.e. randomness and ambiguity, of remanufacturing job scheduling. Inspired by the rough set theory and multi-objective approximation sorting algorithm, this evaluation standard can eliminate the redundant information in quality evaluation. On this basis, a remanufacturing production scheduling model was constructed under uncertainties, and solved by a hybrid algorithm developed from the double algorithm, backpropagation (BP) neural network and the genetic algorithm (GA). Simulation results show that the proposed algorithm excels in convergence, and its solution can lead to the minimal scheduling cost and makespan. This algorithm can effectively optimize the scheduling problem of remanufacturing production and processing. The research findings shed new light on the rapid evaluation of recycled resource quality and the optimal scheduling of remanufacturing production.

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Key Words: Uncertainties, Remanufacturing, Production Scheduling, Optimization, Simulation

1. INTRODUCTION

The rapid consumption of energy and resources has led to increasingly severe environmental pollution around the world. Against this backdrop, the circular economy based on “resource recovery-remanufacturing” stands out as an important method for resource saving and sustainable development [1, 2]. As the most mature remanufacturing industry, the automotive-related field relies on the production processes of resource recovery, material screening, reprocessing, assembly, etc. [3, 4].

The production and scheduling of remanufacturing involves many uncertainties. As shown in Fig. 1, these uncertainties occur in such processes as recycling, disassembly, reprocessing and assembly [5-8]. The conventional job-shop scheduling plans no longer apply to remanufacturing production, owing to the differences in manufacturing objects, production processes, production controls and production schedules [9, 10].

Much research has been done on the optimization and simulation of remanufacturing shop scheduling. For example, some researchers analysed the impacts of the quality of recycled products (wear, bending, rusting, etc.) on the cost, processing efficiency, and production scheduling during remanufacturing [11-13]. Grguraš and Kramar established a classification standard for recycled resources and introduced it to the optimization of remanufacturing production scheduling [14]. Pan and Wang simplified the remanufacturing process into a flexible job-shop scheduling problem (FJSP) [15]. Considering the effect of recycled product disassembly on remanufacturing production scheduling, Rahman et al. and Ratnaweera et al. put forward an optimal scheduling plan for the minimal makespan and processing cost. They examined the different impacts of in recycled product parameters on production scheduling in remanufacturing shops [16, 17].

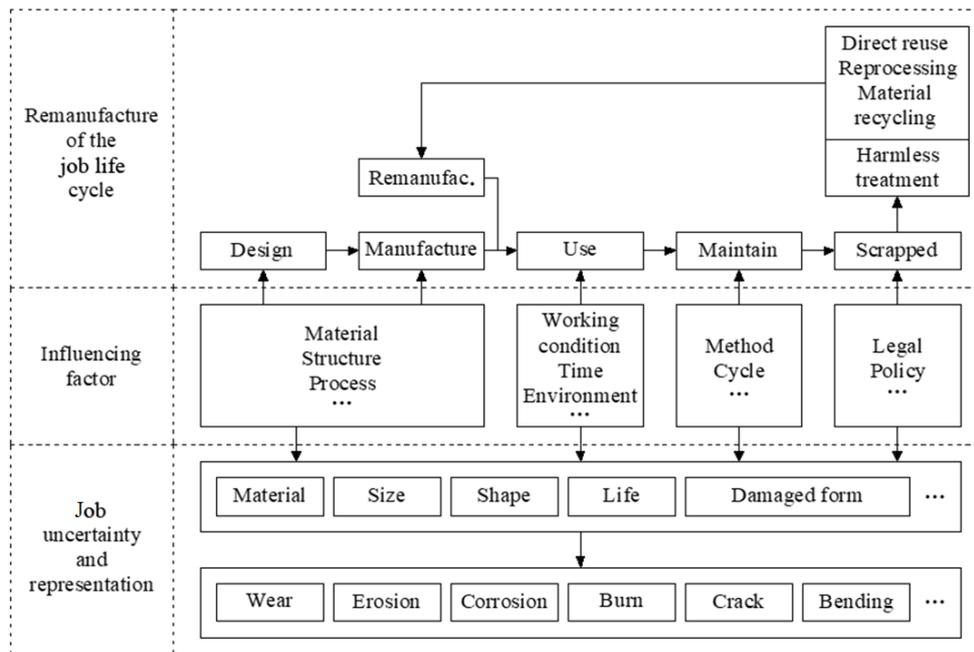


Figure 1: Uncertainties in remanufacturing production.

Meanwhile, some researchers have improved the traditional optimization methods for production scheduling, such as queuing network, radio frequency identification (RFID), intelligent optimization algorithm and information sharing method, and relied on the improved methods to optimize the scheduling of remanufacturing shops, considering the features of remanufacturing and processing [18-20].

To sum up, the above studies either consider a single uncertainty only or discuss the concentrated uncertainties independently. There is no further study on the superposed influence of multiple uncertainties over remanufacturing production decision-making and production scheduling [21-26]. Besides, few reports have been released to illustrate the uncertainties in the actual production of remanufacturing shops or centralized decision-making of production plan and scheduling [27].

To solve the above defects, this paper constructs a remanufacturing production scheduling model under uncertainties, and combines the double fuzzy algorithm [28], backpropagation (BP) neural network and genetic algorithm (GA) into a hybrid algorithm to solve the constructed model. The research findings shed new light on the rapid evaluation of recycled resource quality and the optimal scheduling of remanufacturing production.

2. EVALUATION OF REMANUFACTURED WORKPIECE QUALITY

In this paper, the parts in automobile engine are taken as the objects for quality evaluation of recycled products. The quality of recycled automobile engines differs greatly with such factors as the driving life, the maintenance condition and the external environment. According to the relevant statistics, the crankshaft in the engine is prone to wear, bending, fatigue and burning during the working process. The following parameters were adopted to classify and evaluate the crankshaft quality: wear (spindle A_1 , connecting rod A_2), spindle roundness A_3 , cylindricity A_4 , bending degree A_5 , twisting degree A_6 , shaft spacing A_7 , roughness A_8 , crack A_9 and burning degree A_{10} . Table I shows the evaluation and grading standard involving these ten parameters. In the table, the ten parameters are divided into four levels. Among them, level 1 means the crankshaft is little worn and can meet the technical requirements after proper polishing and cleaning; level 2 means the crankshaft has some minor defects and can be used after repair; level 3 means the crankshaft has relatively large defects and cannot be

used without special secondary treatment; level 4 means the crankshaft has been severely damaged and should be recycled.

Table I: Quality evaluation and grading standard for engine crankshaft.

Level	A ₁	A ₂	A ₃	A ₄	A ₅	A ₆	A ₇	A ₈	A ₉	A ₁₀
1	0-0.04	0-0.04	0-0.05	0-0.05	0-0.17	0-0.12	0.08-0.26	0.2-0.5	no	no
2	0.04-0.76	0.04-0.76	0.05-0.09	0.05-0.09	0.17-0.32	0.12-0.22	0.26-0.52	0.5-0.7	slight	slight
3	0.76-1.51	0.76-1.51	0.09-0.13	0.09-0.13	0.32-0.52	0.22-0.32	0.52-1.02	0.7-0.9	medium	medium
4	1.51-3.0	1.51-3.0	0.13-0.20	0.13-0.2	0.52-1.2	0.32-0.5	1.02-3.0	0.9-1.0	severe	severe

For real-time evaluation and processing of the recycled crankshaft, the parameters in Table I were discretized as follows:

$$sgf(p_k, D) = \frac{|POS_C(D)| - |POS_{C-\{p_k\}}(D)|}{|U|} \quad (1)$$

where $sgf(p_k, D)$ is the importance of each evaluation parameter. The value of $sgf(p_k, D)$ is positively correlated with the importance of the corresponding parameter. The weight of each parameter can be express as:

$$w(p_k) = \frac{sgf(p_k)}{\sum_{p_k \in C} sgf(p_k)} \quad (2)$$

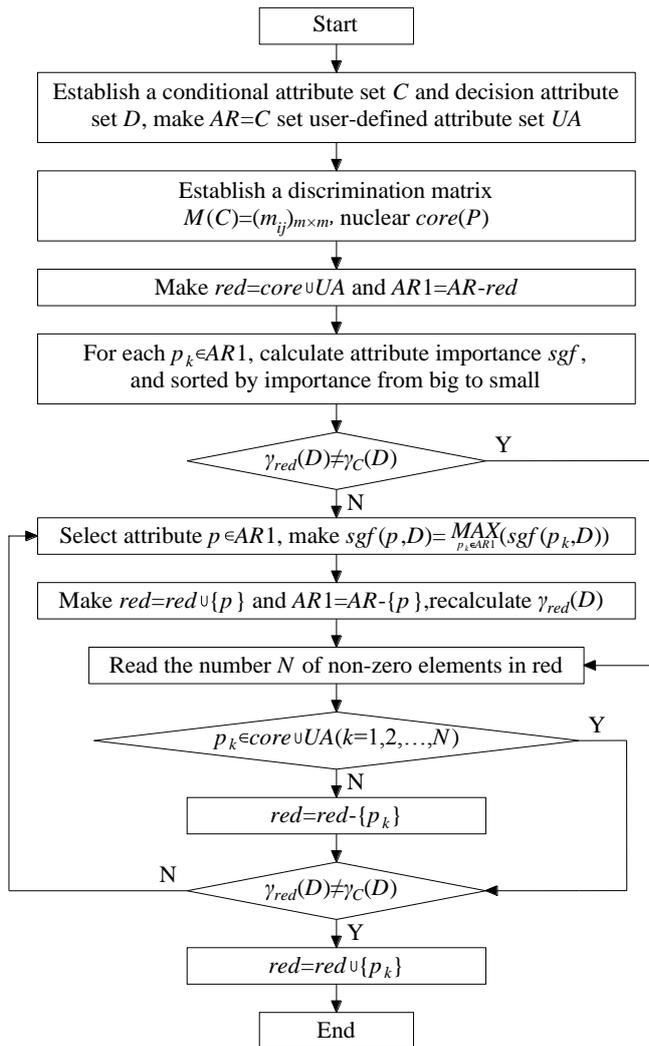


Figure 2: Quality evaluation of engine crankshaft.

The quality evaluation of engine crankshaft consists of the steps is as shown in Fig. 2 above.

3. REMANUFACTURING PRODUCTION SCHEDULING MODEL UNDER UNCERTAINTIES AND ITS SOLUTION

3.1 Model description

As shown in Fig. 3, the recycling and remanufacturing of the crankshaft consists of engine disassembly, classification by the established standard, secondary processing and utilization.

In light of the operation process, it is assumed that the scheduling of engine disassembly and crankshaft rework shop involves m machines and n types of jobs, and that the scheduling optimization satisfies the following hypothesis:

- (a) Each job corresponds to a set of optimal machines; once selected from the set, a machine can only repair this job at one time.
- (b) The job can only be repaired and reworked by the selected machine at one time.
- (c) The job can be processed at the initial time, and the makespan covers the time spent in the transport, pre-processing and waiting in the shop.

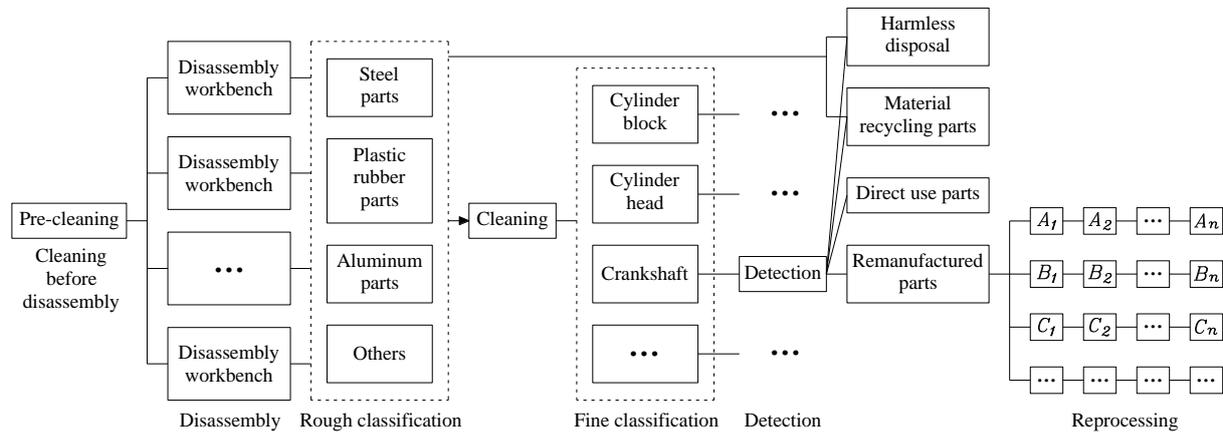


Figure 3: Recycling and remanufacturing of the crankshaft.

The remanufacturing production scheduling model was designed after fully considering two uncertainties, namely, the randomness and ambiguity of shop scheduling in the remanufacturing industry. Meanwhile, the optimal machine and optimal processing sequence were determined for each job at a reasonable level of confidence. The optimization objective function of the model can be expressed as:

$$\min C = \sum_{i=1}^N \sum_{j=1}^{N_i} \sum_{k=1}^{M_{ij}} MHC_{ik} \cdot RT_{ijk} \cdot \eta_{ijk} \tag{3}$$

$$s.t. \quad ET_{iN_i} \leq DD_i \tag{4}$$

$$BT_{i(j+1)} - BT_{ij} \geq RT_{ijk} \tag{5}$$

$$BT_{ij} - BT_{i'j'} \geq RT_{i'j'k} \tag{6}$$

where i, j and k are the serial number of jobs, that of processes and that of machines, respectively; MHC_{ik} is the time cost of job processing; RT_{ijk} is the makespan; ET_{ij} is the processing time of product i in process j . Eqs. (4) to (6) are the constraints of the objective function.

The double fuzzy variable was introduced to convert the total makespan of the jobs into a triangular discrete fuzzy variable:

$$RT_{ijk}(\theta) = \begin{cases} (\eta_1^1, \eta_1^2, \eta_1^3), \theta = \theta_1 \\ (\eta_2^1, \eta_2^2, \eta_2^3), \theta = \theta_2 \\ \dots \\ (\eta_r^1, \eta_r^2, \eta_r^3), \theta = \theta_r \end{cases} \quad (7)$$

where η_r^1 , η_r^2 and η_r^3 are the optimistic value, the most likely value and the pessimistic value of the makespan, respectively. In actual scheduling optimization, the value of η_r^3 should be minimized. Thus, the double fuzzy constrained model can be expressed as:

$$\begin{cases} \min \bar{f} \\ s.t. Ch\{f(x, \xi) \leq \bar{f}\}(\gamma) \geq \delta \\ Ch\{g_i(x, \xi) \leq 0\}(\alpha_i) \geq \beta_i, i = 1, 2, \dots, p \end{cases} \quad (8)$$

where ξ is the double fuzzy vector. Substituting Eq. (8) to the original scheduling model, the pessimistic value of the total scheduling cost for job production and processing in the entire shop can be adopted as the objective function:

$$\begin{cases} \min \bar{C} \\ s.t. Ch\{C \leq \bar{C}\}(\gamma) \geq \delta \end{cases} \quad (9)$$

Under the above conditions, Eqs. (4) to (6) can be rewritten as:

$$Cr\{\theta \in \Theta | Cr\{ET_{iN_i} - DD_i \leq 0\} \geq \beta_i\} \geq \alpha_i \quad (10)$$

$$Cr\{\theta \in \Theta | Cr\{RT_{ijk} - BT_{i(j+1)} + BT_{ij} \leq 0\} \geq \beta_i'\} \geq \alpha_i' \quad (11)$$

$$Cr\{\theta \in \Theta | Cr\{RT_{ij'k} - BT_{ij} + BT_{ij'}\} \geq \beta_i''\} \geq \alpha_i'' \quad (12)$$

3.2 Model solution

Since it is difficult to solve the remanufacturing production scheduling model under uncertainties through theoretical analysis, this paper combines the double fuzzy algorithm, BP neural network and the GA into a hybrid model to solve the established optimization model.

First, the raw data for model simulation were generated by double fuzzy algorithm:

(1) Find the upper limit β at the maximum confidence level of the objective function according to Eqs. (10) to (12), and have θ_k such that $Pos\{\theta_k\} > \varepsilon$.

(2) For any r , there is:

$$L(r) = \frac{1}{2} \left[\max_{1 \leq k \leq N} \{Pos\{\theta_k\} | f(\theta_k) \leq r\} + \min_{1 \leq k \leq N} \{1 - Pos\{\theta_k\} | f(\theta_k) > r\} \right] \quad (13)$$

Obtain the extreme value r when $L(r) > \alpha$, and estimate the objective function.

(3) Take the raw data obtained by double fuzzy algorithm as the training sample, import them into the BP neural network to determine the following functions:

$$U_1(x) = \min \{\bar{C} | Ch\{C_{max} \leq \bar{C}\}(\gamma) \geq \delta\} \quad (14)$$

$$U_i(x) = Ch\{ET_{ij} - DD_i \leq 0\}(\alpha_i) \geq \beta, i = 1, 2, \dots, p \quad (15)$$

The GA was employed to optimize the local optimization and slow convergence of BP neural network. First, the initial weight w was updated through improved crossover and mutation operations, and the error function E_k was established. Then, the fitness of each w

was computed through E_k . The above steps were repeated until the pre-set number of iterations was reached.

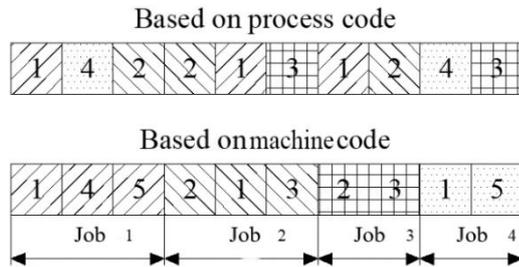


Figure 4: Composite coding.

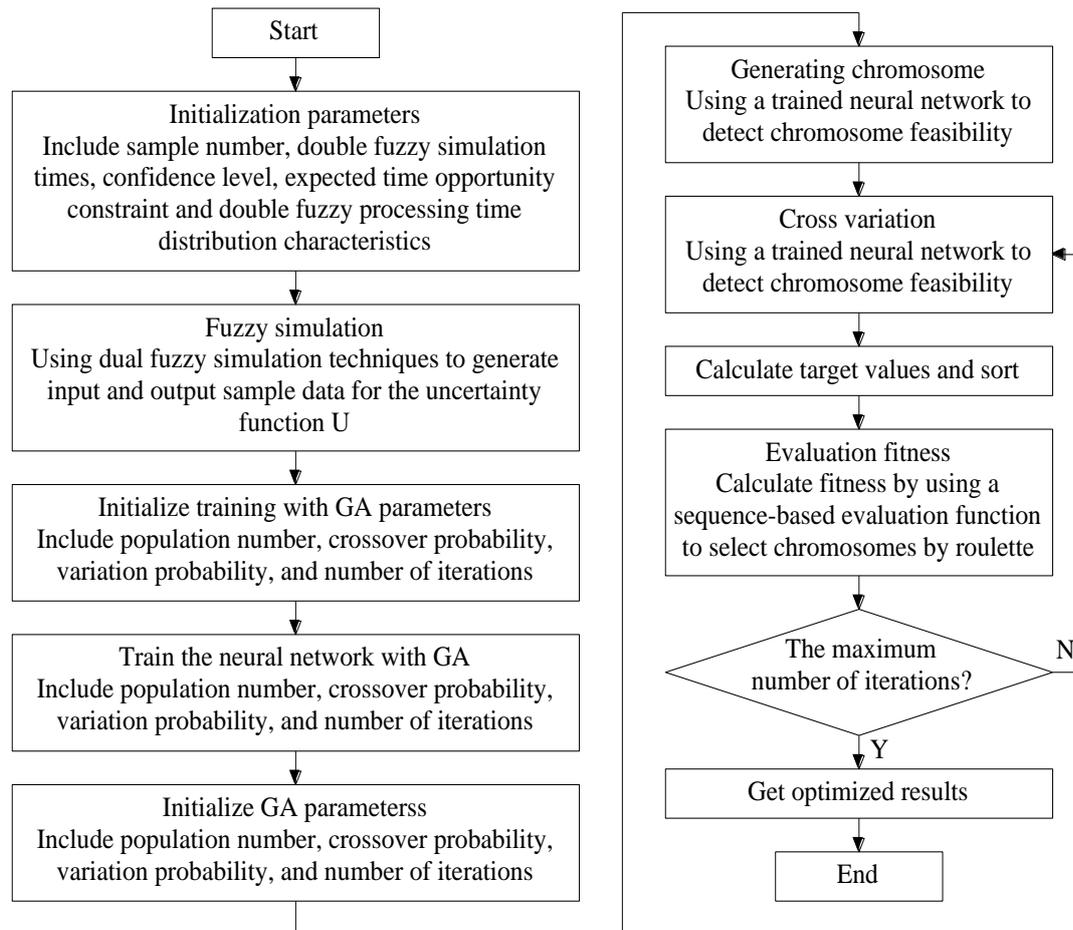


Figure 5: Solving process of the hybrid algorithm.

Through the optimization of the BP neural network by the GA, the author acquired the optimal network structure and parameters. Then, this network structure was embedded in the GA to calculate the target output of the chromosome.

Coding: The chromosomes of the GA were coded through composite coding ($n + m$), where n is the types of genes in the processing sequence of the entire shop, and m is the types of mapping of jobs to machines. Fig. 4 describes the processing scheduling of 4 jobs on 5 machines.

Initialization: The following parameters of the GA were initialized, including the number of chromosomes, population, crossover operator, genetic operator and iterative threshold.

The calculated values were arranged, and the algorithm was terminated after reaching the pre-set number of iterations. The solving process is illustrated in Fig. 5.

4. SIMULATION AND VERIFICATION

The proposed hybrid algorithm for remanufacturing production scheduling under uncertainties was verified through a case study involving 10 engines to be disassembled. The expected processing scheduling time and the upper and lower boundary confidence levels (r and δ) of the internal crankshafts are presented in Fig. 6.

The pre-evaluation results of the 10 engine crankshafts are listed in Table II, where M_1 — M_3 are the machines. The crankshafts were divided into high quality ones and low quality ones according to the evaluation standard in Table I. In Table II, the makespans for M_1 — M_3 mean the most optimistic, the most likely and the most pessimistic makespans.

Table II: Expected makespan for engine crankshaft processing scheduling.

Job	Quality level	Confidence	Machine		
			M_1	M_2	M_3
Q ₁ Q ₁₀	Low	0.14	(132, 140, 148)	(136, 142, 148)	(126, 130, 134)
	High	0.82	(162, 177, 192)	(158, 168, 178)	(164, 174, 184)
Q ₂ Q ₃ Q ₄ Q ₅ Q ₈ Q ₉	Low	0.12	(132, 137, 142)	(135, 140, 145)	(134, 136, 138)
	High	0.08	(157, 164, 171)	(158, 168, 178)	(154, 165, 176)
Q ₆ Q ₇	Low	0.90	(135, 138, 141)	(137, 142, 147)	(130, 136, 142)
	High	0.12	(156, 164, 172)	(155, 166, 177)	(161, 171, 181)

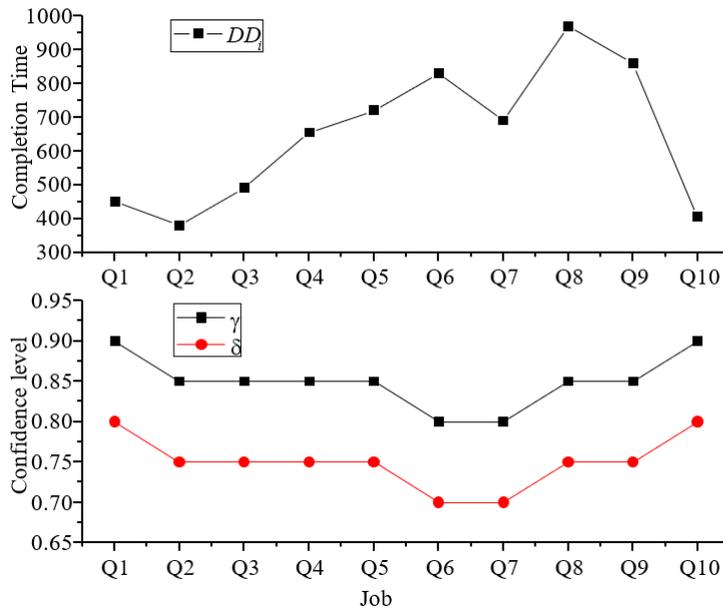


Figure 6: Expected processing scheduling time and the upper and lower boundary confidence levels of crankshafts.

The crossover probability and mutation probability were set to 0.55 and 0.2, respectively, the total number of iterations to 1,000, and the initial population size to 50. The complexities CD of production scheduling under uncertainties can be expressed as:

$$CD = O(T_{sa} S_{it} \log n + T_{it} T_{pop} + G_{it} (n_{pop} + nm \log n)) \tag{16}$$

where $O(T_{it} T_{pop})$, $O(T_{sa} S_{it} \log n)$ and $O(n_{pop})$ are the complexities of BP neural network computation, double fuzzy algorithm computation and initialization, respectively. The proposed algorithm is a collection of the above complexities, which are related to the double fuzzy algorithm, BP neural network and the GA.

Table III shows the results of the simulation by the proposed algorithm. It can be seen that the pessimistic value of the scheduling of job production and processing was on the rise with

the increase of confidence. Because of the huge differences in the processing sequence of each job under different confidence levels, the solution obtained by our algorithms can lead to the minimal total cost and makespan of the production scheduling for jobs under multiple uncertainties, as long as the confidence level remains the same.

According to the convergence curve in Fig. 7, the proposed algorithm converged at the 300th iterations, which demonstrate a good convergence.

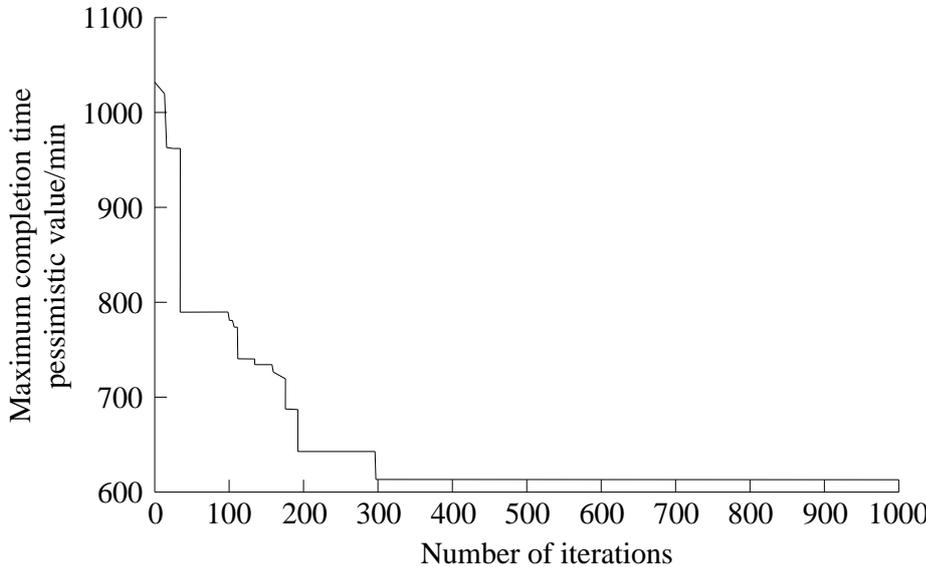


Figure 7: Convergence curve of the optimal solution.

Table III: Simulation results and verification analysis.

Confidence	Completion cycle (\bar{f} /min)	Verification analysis	
		Original opportunity	Pessimistic value of the completion (cycle/min)
0.7	611.2	0.90	665.6
0.8	641.8	0.86	697.3
0.9	656.5	0.83	715.4

5. CONCLUSIONS

Considering the multiple uncertainties in remanufacturing production scheduling, this paper creates a remanufacturing production scheduling model under uncertainties, and combines the double algorithm, BP neural network and the GA into a hybrid algorithm to solve the model. The research conclusions are as follows:

(1) The author proposed a quality evaluation method for recycled resources in the remanufacturing industry. Inspired by the rough set theory and multi-objective approximation sorting algorithm, this evaluation standard can eliminate the redundant information in quality evaluation, and serve as a rapid and effective way to evaluate the quality of recycled products.

(2) The proposed model was designed considering two uncertainties, namely, the randomness and ambiguity of shop scheduling in the remanufacturing industry. The raw data for model simulation were generated by the double fuzzy algorithm, and imported to the BP neural network to derive the uncertain function of the model in light of the features of the network. Meanwhile, the GA was employed to solve the local optimum and slow convergence of the BP neural network.

(3) Simulation results show that the proposed algorithm excels in convergence, and its solution can lead to the minimal scheduling cost and makespan. This algorithm can effectively optimize the scheduling problem of remanufacturing production and processing.

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